



UiO : **University of Oslo**

Why morally motivated public good provision can lead to polarization and minimal contributions

Karine Nyborg and Kjell Arne Brekke



This paper

- Brekke, Kverndokk, Nyborg (2003)
 - Morally motivated consumers contribute to public goods
- Here: add heterogeneity & social interaction
 - Income inequality, ethical disagreement
 - Social learning, social migration
- Voluntary private provision: Strong polarization and minimal contributions in steady state
- Tax-funded government provision: disagreement but not necessarily strong

- Short run
 - Decides contribution. Ethical views & social peer groups fixed.
- Long run:
 - Social learning of ethical views,
 - Social migration between peer groups.

Short-run: voluntary contributions

(1) $Y_i = c_i + e_i$ Exog. inc. spent on consumption/contributions

(2) $E = \sum_{i=1}^N e_i$ $c_i \geq 0, e_i \geq 0$



- Preferences for consumption, public good, self-image, social image

(3) $U_i = \ln c_i + \gamma E + I_i + S_i$ $\gamma > 0$

- Self-image: distance to what i finds morally right for herself (e_{ii}^*)

(4) $I_i = \begin{cases} -\frac{\alpha}{2} (e_i - e_{ii}^*)^2 & \text{for } e_i < e_{ii}^* \\ 0 & \text{otherwise} \end{cases}$ $\alpha > 0$

- Social image: distance to what i 's peers on average find right for i (e_{iG}^*)

(5) $S_i = \begin{cases} -\frac{\beta}{2} (e_i - e_{iG}^*)^2 & \text{for } e_i < e_{iG}^* \\ 0 & \text{otherwise} \end{cases}$ $\beta > 0, e_{iG}^* = \frac{\sum_{j \in G} e_{ij}^*}{N_G}$

The right thing to do: maximize social welfare

- Subjective social welfare functions (image concerns welfare irrelevant)

$$(6) \quad W_i = \sum_{j=1}^N [\mu_{ji} (\ln c_j + \gamma E)] \quad \text{where } \sum_{j=1}^N \mu_{ji} = 1$$

- e_{ji}^* , j 's morally ideal contribution in i 's view: the e_j that maximizes W_i .
- Measure q_i of i 's libertarianism (anonym. & cont. welfare weights)

$$\mu_{ji} = \mu_{ji}(Y_j) = \frac{(1 - q_i)\bar{Y} + q_i Y_j}{N\bar{Y}} \quad \text{where } \bar{Y} \text{ is average income.}$$

- Egalitarian ($q_i = 0$): rich ($Y_j > \bar{Y}$) should contribute a lot
- Libertarian ($q_i = 1$): poor ($Y_j < \bar{Y}$) should also contribute their share
- For rich j , e_{ji}^* decreases in q_i . For poor j , e_{ji}^* increases in q_i .

Egalitarian $q_i = 0$ ————— $q_i = 1$ Libertarian

- Agreement: socially optimal public good supply E^*



- Disagreement: fair burden-sharing

Reluctant social learning



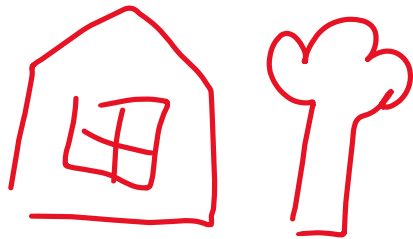
- Each period t : i meets j from own peer group
 - Imperfectly observes j 's view q_j^t $E(\tilde{q}_{ji}^t) = q_j^t$
 - Moves towards j 's believed view \tilde{q}_{ji}^t
 - - but *less* if move increases i 's own moral burden e_{ii}^*

$$\Delta q_i^t (i \in R) = \begin{cases} \delta(\tilde{q}_{ji}^t - q_i^t)\Delta t & \text{if } \tilde{q}_{ji}^t \geq q_i^t \\ \delta(1-r)(\tilde{q}_{ji}^t - q_i^t)\Delta t & \text{if } \tilde{q}_{ji}^t < q_i^t \end{cases}$$

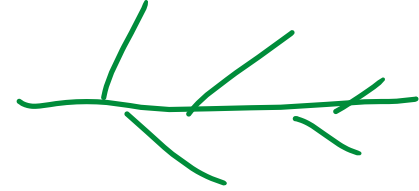
- **The rich:** reluctant to adopt egalitarian views
- **The poor:** reluctant to adopt non-egalitarian views
- Combination uncertainty & reluctance: views may move far outside initial range

Social migration

- Occasionally reconsiders:
 - «Would they like me better in the other group?»
- Poor prefer more egalitarian peers
- Rich prefer libertarian peers



Equilibrium: Segregation, polarization, minimal contributions



- In the steady state,
- all the rich are in one social group and hold a **completely libertarian** view;
- all the poor are in the other social group and hold a **completely egalitarian** view.
- This is an **absolute contribution minimum**: no other combination of ethical views and sorting into groups would yield strictly lower total contributions to the public good.

Government provision

- Tax-funded government provision:

$$(1') \quad Y_i = c_i + T_i + \epsilon_i \quad \epsilon_i \geq 0$$

$$(2') \quad E = E^{Gov} + \sum_{i=1}^N \epsilon_i.$$



- Balanced government budget:

$$(7) \quad E^{Gov} = \sum_{j=1}^N T_i.$$

- Policy: according to view of actual/ hypothetical voter m , q_m

- $E^{Gov} = E^*$

- Everyone agrees

- $T_i = e_{im}^*$

- Rich i with $q_i > q_m$: « T_i too high»
 - Poor i with $q_i < q_m$: « T_i too high»

Segregation but limited disagreement

Any state such that 1) all rich are in one group, all poor in the other; 2) all rich agree on q_R , all poor agree on q_P ; and 3) $q_R > q_m > q_P$, is a stable state.

- Everyone finds own group's taxes too high, others' too low
 - No migration: new peers would think you should pay more
 - No reluctance: any small change in q_i would leave $e_{ii}^* = 0$
- Polarization stops even if q_R and q_P are close
- Requires political process driving compromise

Summing up



- Morally motivated contribute voluntarily
- Social mechanisms: reduce moral burden in long run
-> polarization, segregation, minimal contributions



Summing up



- Morally motivated contribute voluntarily
- Social mechanisms: reduce moral burden in long run
-> polarization, segregation, minimal contributions
- Government provision: segregation but not polarization

